

Effect of variety of alkanes on fluidity and inter-leaflet coupling of lipid membranes

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[Background] In biomembranes, various kinds of small organic molecules, such as sterols and fatty acids, regulate the physical properties of lipid bilayers to maintain cell functions. One of the typical effects of these organic molecules is on membrane fluidity, which has long been an important topic in biomembranes. Studies in biologically relevant systems have suggested that membrane fluidity affects various cell functions, such as enzyme activity, transport process, hormone action, and immune response.[1] Not only the bilayer's fluidity itself, but also the dynamic coupling/decoupling of the outer and inner leaflets of bilayers is possibly controlled by such small organic molecules. However, the effects of small organic molecules on the bilayer fluidity and the inter-leaflet coupling have not been fully understood.

The inter-leaflet coupling is known to connect the elastic bending modulus, κ , and the area compressibility modulus, K_A , in a thin elastic sheet theory.[2] As explained more in detail in the following section, recent neutron spin echo (NSE) studies start to measure both κ and K_A independently by measuring both bending and thickness fluctuations in a lipid bilayer.[3,4]

In this experiment, we investigated the effect of small organic molecules on the membrane fluidity utilizing NSE. We used synthetic lipid bilayers with and without *n*-alkanes as a model system. The effects of *n*-alkanes on the phase behavior, the bilayer structure, and its elasticity, have been extensively studied by us.[5,6] Change in the phase behavior of the lipid bilayers strongly depends on the alkane length.[5] We speculated that the membrane fluidity also relates to the intermolecular force in the membrane. For the systematic understanding of effects of various organic molecules on the membrane properties, the

alkane length dependence of the membrane fluidity will be an ideal system to explore.

[Methods] The NSE technique has been traditionally used to determine membrane's elastic bending modulus, κ . However, recent development of membrane theories and experimental techniques started to shed light on more detailed membrane properties. [7,8]

Recently, thickness fluctuations in lipid membranes have been successfully measured using NSE,[3,4,9] and this technique was shown to be potential means to access β , which characterizes the inter-leaflet coupling.[4] The bending fluctuations have been modeled by Zilman and Granek [10] as the intermediate scattering function decays following a stretched exponential function with a stretching exponent of 2/3. The decay rate $\Gamma(q)$, where q is the momentum transfer, follows q^3 for bending fluctuations, while the thickness fluctuations are seen as a peak in $\Gamma(q)/q^3$ with an underlying q^3 dependence as follows: [4]

$$\frac{\Gamma}{q^3} = 0.0069 \sqrt{\frac{k_B T}{\kappa}} \frac{k_B T}{\eta} + \frac{(\tau_{TF} q_0^3)^{-1}}{1 + (q - q_0)^2 \zeta^2} \quad (1)$$

where the first term indicates the contribution from the bending fluctuations and the second term represents the thickness fluctuation contributions. η is the solvent viscosity, τ_{TF} represents the relaxation time for the thickness fluctuations, q_0 denotes the peak location in Γ/q^3 representation which is identical to the dip location of the bilayer form factor measured by SANS, and ζ indicates the half width at half maximum (HWHM) of the Lorentz function. The fractional change in the thickness, σ_h , is expressed as $\sigma_h = \Delta h/h = 2(q_0 \zeta)^{-1}$, where h represents the bilayer thickness. Neglect-

ing changes of the molecular volume, σ_h is compensated for by the fractional change in the area, σ_A , as $\sigma_h^2 = \sigma_A^2$, and a simple statistical mechanical relation connects area compressibility modulus K_A and σ_h as $K_A = k_B T / \sigma_h^2 A_0$. [11,4] Therefore, the measurement of the thickness fluctuation amplitude yields to estimate K_A . On the other hand, in a thin elastic sheet theory, a relation between κ and K_A is formulated as $K_A = \beta \kappa / d_t^2$, where d_t is the thickness of the hydrocarbon region of the membrane. [2] These two independent measure of κ and K_A by the bending and thickness fluctuations, respectively, allows one to estimate a change in β if any.

[Results] We have performed an NSE experiment on the NGA-NSE, NIST, in dipalmytoylphosphatidylcholine (DPPC) bilayers with and without alkanes. We measured the cases for *n*-octane (C8) and *n*-tetradecane (C14). We independently measured the bending and thickness fluctuations by using protiated lipid and alkanes in D₂O for the bending fluctuations, while the thickness fluctuation measurements were performed by employing tail-deuterated DPPC, deuterated *n*-alkanes and D₂O.

κ value were found to be similar for the samples with alkanes. On the other hand, strong effects of the alkanes were recognized in the thickness fluctuation measurements (Fig. ??). $\Gamma(q)/q^3$ have peaks at lower- q for DPPC with alkanes than the pure lipid, indicating the thickness of the bilayer increased by the addition of alkanes. It is emphasized that the peak intensity and HWHM for the samples with alkanes are smaller than that for pure DPPC, and they exhibit an alkane length dependence. This implies that thickness fluctuations are depressed by alkanes, and the depression is stronger for the shorter alkane. By considering an almost constant κ but different peak width ζ , the order of the coupling constant β becomes C8 < C14 < pure DPPC, meaning a more coupled membrane state with alkanes, especially with

the shorter alkane.

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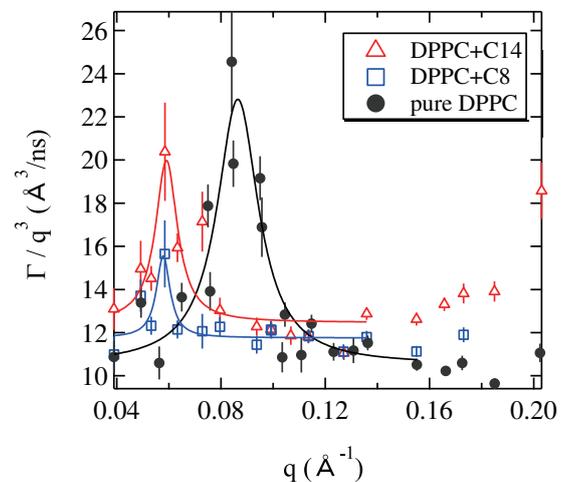


Fig. 1. $\Gamma(q)/q^3$ for DPPC with and without alkanes (C8 and C14).